Lec 17 More Optimisations

Splitting Live Ranges

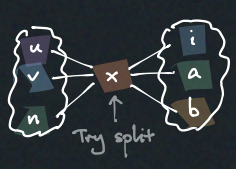
Introduce moves to split temps
└ makes graph more sparse
Problem: no good and simple heuristic

Consider:

```
x ← y
n ← u + v
i ← n
x' ← x
l1: if i ≤ 0 then l2 else done
l2: i ← i - 1
    x' ← x' * x'
    goto l1
```

```
done: a ← x' + 8128
      b ← a + a
      return x' * b
```

Observe x lives throughout func



Turns out splitting here is good

When to split: when dissatisfied with reg alloc result

Heuristics:
- split the one with longest live range?
- split in the middle?

Peephole Optimisation ← some 1000+ of these in LLVM

Only look a a few lines, make local optimisations

$$\left\{\begin{array}{l} l: \ldots \\ \vdots \\ l': \ldots \end{array}\right\} \rightarrow \left\{\begin{array}{l} l: \ldots \\ \vdots \\ l': \ldots \end{array}\right.$$

▷ Constant folding

$l: x \leftarrow c_1 \otimes c_2 \;\} \rightarrow \{\; l: x \leftarrow c$ if $c = c_1 \otimes c_2$

$l: x \leftarrow c_1 \otimes c_2 \;\} \rightarrow \{$ raise(arith) if $c_1 \otimes c_2$ undef

l: if c_1 ? c_2 then l_1 else l_2 $\;\} \rightarrow \{\; l$: goto l_1 if l_1 ? l_2

One of them could be dead code

$$\left\{\begin{array}{l} l_1: x \leftarrow y + c_1 \\ l_2: z \leftarrow x + c_2 \end{array}\right\} \rightarrow \left\{\begin{array}{l} l_1: x \leftarrow y + c_1 \\ l_2: z \leftarrow y + c \end{array}\right. \quad \text{where } c = c_1 + c_2$$

▷ Strength Reduction

$a + 0 = a$
$a - 0 = a$
$a * 0 = 0$
$a * 1 = a$
$a * 2^n = a << n$
$a * b + a * c = a * (b + c)$

⚠ $x + 1 \neq x$, etc.

▷ Null Sequences

$l: x \leftarrow x \;\} \rightarrow \{\; l$: nop

$$\left\{\begin{array}{l} l_1: x \leftarrow y \\ l_2: y \leftarrow x \end{array}\right\} \rightarrow \left\{\begin{array}{l} l_1: x \leftarrow y \\ l_2: \text{nop} \end{array}\right.$$

▷ Useless goto

$$\left\{\begin{array}{l} l_1: \text{goto } l_2 \\ l_2: \ldots \end{array}\right\} \rightarrow \left\{\begin{array}{l} l_1: \text{nop} \\ l_2: \ldots \end{array}\right.$$

Common Subexpression Elim

SSA

$l: x \leftarrow s_1 \otimes s_2$
: & x not written in btwn
$l': y \leftarrow s_1 \otimes s_2$

$\rightsquigarrow$

$l: x \leftarrow s_1 \otimes s_2$
⋮
$l': y \leftarrow x$

↖ if x defined & unchanged here viz. every path reaching l' goes through l
"l dominates l'", "$l > l'$"

Ex.

```
lab1:
    x ← a + b
    if a < 0 then lab2 else lab3
```

```
lab2:
    y ← a+b
    goto lab4
```

```
lab3:
    z ← a+b
    goto lab4
```

```
lab4:
    n ← a+b      n ← x
```